## $\mathsf{GrabCut}+\mathsf{D}$

#### Fabian Andres Prada Niño

#### Instituto Nacional de Matematica Pura e Aplicada

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- Third: Robust Depth Based Seeding

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## GraphCut

• Image segmentation method originally introduced by Boykov and Jolly [1].

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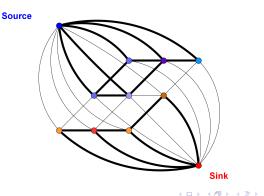
# GraphCut

- Image segmentation method originally introduced by Boykov and Jolly [1].
- Assigns to the image a weighted graph structure where each pixel is represented by a node. There are two additional nodes, source and sink, which represents Background(BG) and Foreground(FG) respectively:

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$$E(x) = U(x, z, w) + V(x, z)$$

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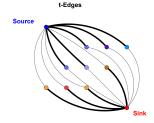
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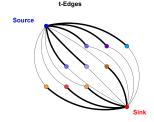
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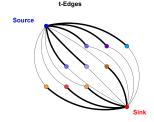
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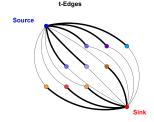
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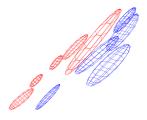
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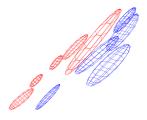
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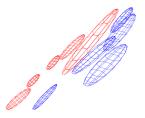
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$$V(x,z,d) = \gamma_C \Big( \sum_{(p,q\in N)} dis(p,q)^{-1} (\exp\{-\beta_C ||z_p - z_q||^2\}) [x_p \neq x_q] \Big)$$

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Initial Selection



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Initial Selection

#### **Further Interaction**





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Initial Selection

#### **Further Interaction**

Final Result



GrabCut+E

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## First Approach: Region Growing

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## First Approach: Region Growing

**Main Idea:** Extract an object from an image implementing a priority search algorithm to identify its connected-depth component.Then, apply GrabCut in the contour of the component to improve the result.

#### First Phase

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#### First Phase

Pick an initial pixel in the interior of the FG object.

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## First Phase

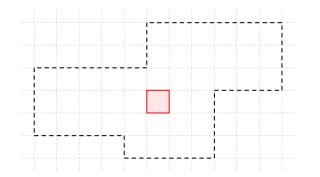
- I Pick an initial pixel in the interior of the FG object.
- **2** Fix parameters for global depth tolerance  $e_d$  and depth continuity  $e_c$ .

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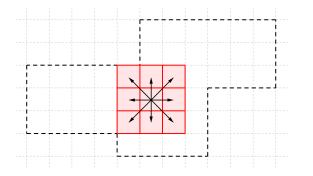
- I Pick an initial pixel in the interior of the FG object.
- **(a)** Fix parameters for global depth tolerance  $e_d$  and depth continuity  $e_c$ .
- BFS is implemented to identify the connected component of pixels satisfying ||d d<sub>0</sub>|| < e<sub>d</sub> and ||d<sub>parent</sub> d<sub>pixel</sub>|| < e<sub>c</sub>.

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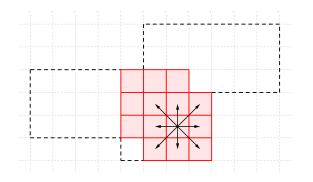
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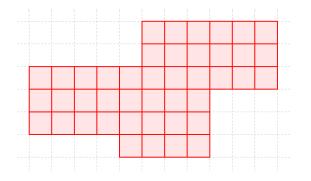
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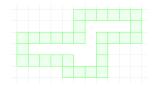
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**1** Define a band around the *contour pixels* of the component.

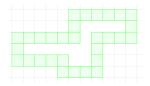
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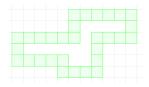
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Pixels in the perimeter of the band belonging to the component are labelled as FG seeds, and those not belonging as BG seeds.

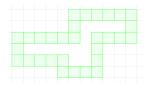
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3	3	3	3	3	3	3	3	3	BACKGROUND SEED
3	2	2	2	2	2	2	2	2	
3	2	1	1	1	1	1	1	1	
3	2	1	0	0	0	0	0	0	CONTOUR
3	2	1	0	1	1	1	1	1	
3	2	1	0	1	2	2	2	2	
3	2	1	0	1	2	3	3	3	FOREGROUND SEED
3	2	1	0	1	2	3			
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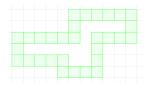


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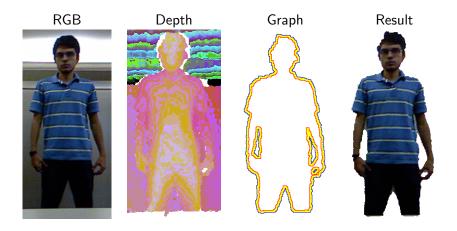


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#### Results

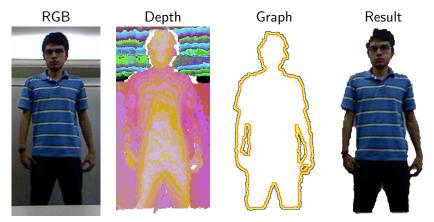
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# Results



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#### Results



#### Depth data must be improved!

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• Capture depth values for a sequence of frames.

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- For each pixel set the depth value to the mean of the non-zero samples.

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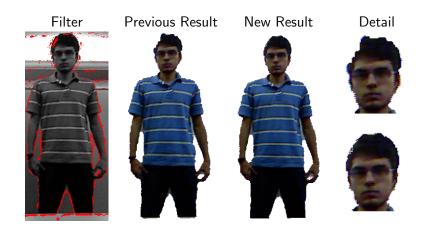
# Result of Color Based Depth Filter

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# Result of Color Based Depth Filter



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• Pros:

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• Pros:

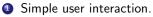


Image: A matrix

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• Pros:

- Simple user interaction.
- Past running time.

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#### Remarks First Approach

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Pros:

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  - On the second object-background adjacency.

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Second Approach: Probabilistic Model

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#### Second Approach: Probabilistic Model

**Main Idea:** Extend the energy function model implemented in GrabCut to include the depth data in analogous way to colour. Construct Gaussian Mixture Models associated to FG and BG depth and use them to define the seeding.

• Depth model  $\omega_D$  is constructed from Gaussian Mixtures.

 $E(x,\omega_C,\omega_D,z,d) = U(x,\omega_C,\omega_D,z,d) + V(x,z,d)$ 

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$$U(x, \omega_C, \omega_D, z, d) = -\sum_p \left( \alpha_C \log h_{BC}(z_p) + \alpha_D \log h_{BD}(d_p) \right) [x_p = 0]$$
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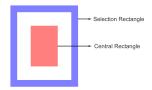
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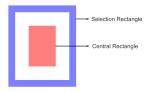
Construct BG Depth Model (BGDM) from the pixels in the border of the Selection Rectangle.

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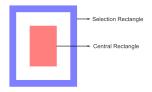
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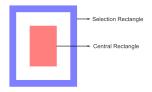


Construct FG Depth Model (FGDM) from the pixels in the interior of the Central Rectangle.

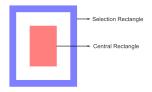
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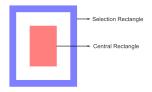
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- Oiscard the Gaussian components of FGDM whose mean value have the highest probability according to BGDM.
- Evaluate all pixels in the image respect to these models, and mark them as FG Seeds or BG Seeds according to the obtain likelihood.



- Construct FG Depth Model (FGDM) from the pixels in the interior of the Central Rectangle.
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- Build the definitive FGDM and FGCM from the FG Seeds. Do the same with BG Seeds.



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#### Fabian Andres Prada Niño (IMPA)







#### Fabian Andres Prada Niño (IMPA)

#### GrabCut+D

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#### Fabian Andres Prada Niño (IMPA)

#### GrabCut+D

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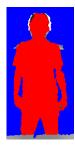






























#### Observations 1

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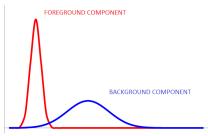
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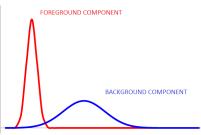
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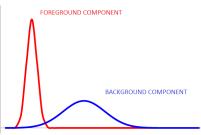


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Fabian Andres Prada Niño (IMPA)

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  - Sectorial and Planar is BG.

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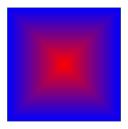
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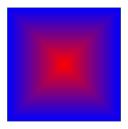
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- If  $d_{1,2} < d_{tol}$  second cluster is labelled FG.

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- If  $d_{1,2} < d_{tol}$  second cluster is labelled FG.
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- From the pixels belonging to the clusters labelled FG, take the lowest value of depth minDepthFG and the largest value maxDepthFG.

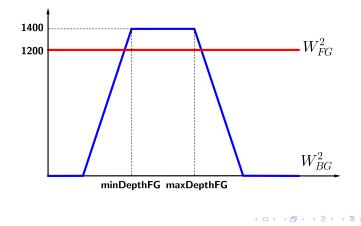
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- **3** For all *p* set  $W_{FG}^2(p) = 1200$ .
- Set  $W_{BG}^2$  a stepwise linear function that separates between close pixels and far pixels respect to FG clusters.



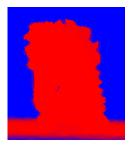
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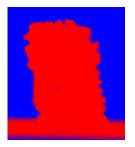


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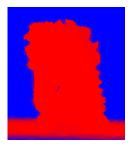








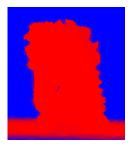








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GrabCut+D

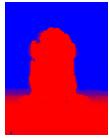










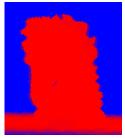








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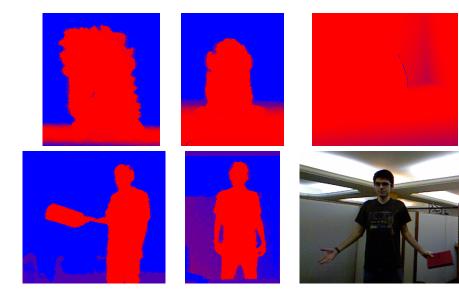






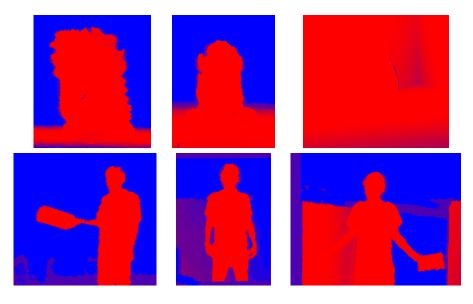
Fabian Andres Prada Niño (IMPA)

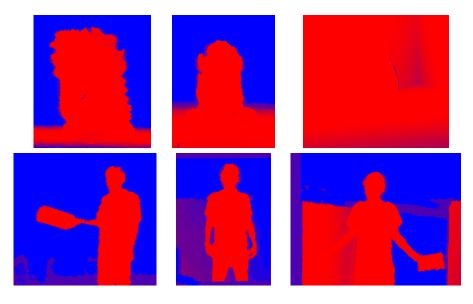
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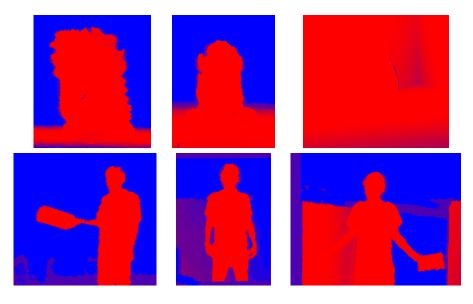


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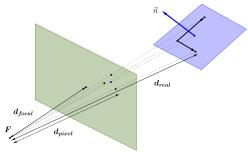




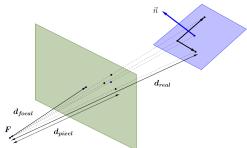
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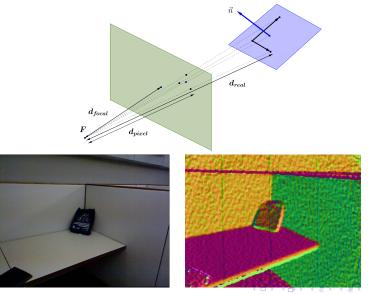


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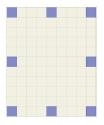


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Solution Fix parameters for normal tolerance  $e_n$  and color tolerance  $e_c$ .

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- Six parameters for normal tolerance  $e_n$  and color tolerance  $e_c$ .
- Pick the first pixel of the queue p and identify the connected set of pixels around p satisfying ||n<sub>p</sub> n<sub>x</sub>|| < e<sub>n</sub> and ||c<sub>p</sub> c<sub>x</sub>|| < e<sub>c</sub>. Call this set of pixels PN(p), and label all these pixels as belong Component.

In order to confirm PN(p) as a valid plane the following two conditions must hold:

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Set  $W^3_{BG}(p) = 0$  for all pixels p. Set  $W^3_{FG}(p) = 1200 \iff p$  is planar Pixel.

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#### • Let $W_{FG} := W_{FG}^1 + W_{FG}^2 + W_{FG}^3$ and $W_{BG} := W_{BG}^1 + W_{BG}^2 + W_{BG}^3$ .

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• Let  $W_{FG} := W_{FG}^1 + W_{FG}^2 + W_{FG}^3$  and  $W_{BG} := W_{BG}^1 + W_{BG}^2 + W_{BG}^3$ . • If  $W_{BG}(p) - W_{FG}(p) > 160$ , then p is a **FG seed**.

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Let W<sub>FG</sub> := W<sup>1</sup><sub>FG</sub> + W<sup>2</sup><sub>FG</sub> + W<sup>3</sup><sub>FG</sub> and W<sub>BG</sub> := W<sup>1</sup><sub>BG</sub> + W<sup>2</sup><sub>BG</sub> + W<sup>3</sup><sub>BG</sub>.
 If W<sub>BG</sub>(p) - W<sub>FG</sub>(p) > 160, then p is a FG seed.
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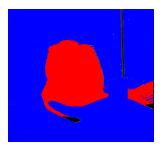


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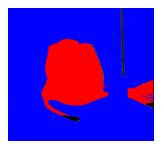
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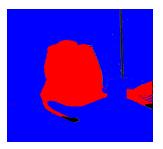
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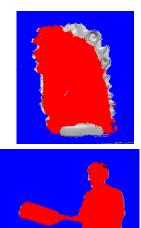






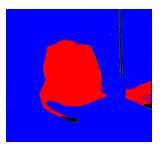


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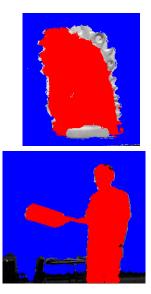






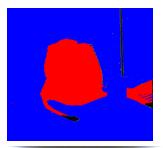
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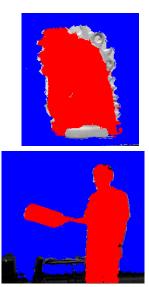






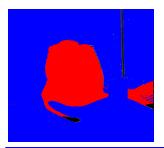


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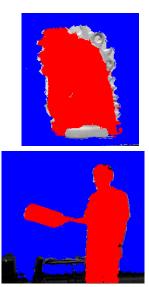






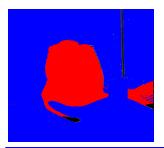


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## **Energy Function**

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$$V(x, z, d) = V_C(x, z) \rightarrow \text{As GrabCut} + \gamma_D \Big( \sum_{(p,q \in N)} \big( 1 - \frac{(d_p - d_q)^2}{600 + (d_p - d_q)^2} \big) [x_p \neq x_q] \Big).$$



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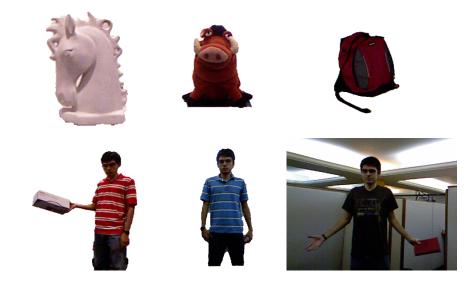




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 $\mathsf{GrabCut}+\mathsf{D}$ 



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- Second Approach looks for a robust segmentation including data depth in the probabilistic model of GrabCut, but we didn't get an accurate representation of depth distribution from Gaussian Mixture Model
- Third Approach improves the seeding using planar subtraction and gets good results in general cases. It still requires calibration.

Extract the object from the initial frame and define accurate FG and BG Colour Models.(Use the Third Approach).

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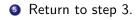




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# Why not include depth data and optical flow data in the energy function?...

Thanks to Djalma, Francisco, Leandro, Lucas, and professor Luiz, for suggestions and support!.

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